Exam. Code: 103203 Subject Code: 1131

B.A./B.Sc. 3rd Semester

QUANTITATIVE TECHNIQUES—III

Time Allowed—3 Hours] [Maximum Marks—100

Note: - Use of simple (Non-scientific) calculators is allowed.

- Note:—(i) The FIRST question consisting of TEN short answer type parts is compulsory. Attempt all parts of this question with answer to each part in upto 5 lines. Each part carries 2 marks.
 - (ii) The candidates will attempt **ONE** out of **TWO** questions from each of the four units (of **20** marks each).
- (a) If z = f(t), how would you determine extreme values
 of z with respect to t?
 - (b) Find the derivative of $y = (4x 3)^2 (2x + 1)^{1/2}$
 - (c) If u and v are two functions of x, how would you obtain $\int uv dx$?
 - (d) Evaluate $\int \frac{1-x^3}{1-x} dx$.
 - (e) Some areas of application of integration in the subject matter of economics.

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- (f) If $A = \begin{pmatrix} 1 & 2 \\ 3 & -5 \end{pmatrix}$, then show that A(Adj. A) = (Adj. A)A
 - (g) Conceptual meaning of producer surplus.
 - (h) Assumptions of linear programming problem.

(i) If
$$A = \begin{pmatrix} 2 & 4 \\ 3 & 5 \end{pmatrix}$$
, $B = \begin{pmatrix} 3 & -2 \\ 5 & 4 \end{pmatrix}$ and $C = \begin{pmatrix} 5 & 3 \\ 1 & -1 \end{pmatrix}$, then find $2A - B + 3C$.

(j) Basic purpose of input-output analysis.

UNIT-I

- 2. (a) Show that the maximum value of the function $y = x^3 27x + 108$ is 108 more than the minimum value. http://www.gnduonline.com
 - (b) Evaluate $\int x^2 c^x dx$.
- 3. (a) Differentiate $\frac{e^x \log x}{x^2}$ w.r.t. x
 - (b) Find total differential dz from the function $z = \frac{x^2 y^2}{x^2 + y^2}$.

UNIT-II

- 4. (a) Evaluate $\int x^2 e^x dx$
 - (b) Evaluate area under the curve $y = 5 + 3x x^2$ between x = 2 and x = 5.
- 5. If demand and supply functions are given respectively by $p = 10 x x^2$ and p = x + 2, then work out consumers surplus and producers surplus at equilibrium price.

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(Contd.)

UNIT—III

- 6. (a) Find rank of the matrix $A = \begin{pmatrix} 3 & 2 & 1 & -4 \\ 4 & 3 & -1 & 0 \\ 1 & 2 & 3 & 4 \end{pmatrix}$.
 - (b) If $A = \begin{pmatrix} 3 & -5 \\ -2 & 4 \end{pmatrix}$ and $B = \begin{pmatrix} 5 & 2 \\ 1 & -6 \end{pmatrix}$, find $(AB)^{-1}$ and $(BA)^{-1}$.
- 7. (a) Given $Y = C + I_0$, where $C = C_0 + bY$, use matrix inversion approach to find the equilibrium level of Y and C.
 - (b) Solve the following system of simultaneous equations by Cramer's rule:

$$2x_1 + 5x_2 + x_3 = 10$$
; $2x_1 + x_2 - x_3 = 0$; $4x_2 + 3x_3 = 9$
UNIT--IV

- 8. (a) Write down the dual of the following primal problem: Minimise $Z=X_1+4X_2+3X_3$, subject to the constraints $2X_1+5X_2-5X_3\leq 2$ $3X_1-X_2+6X_3\geq 1$ $X_1+X_2+X_3=4$ $X_1, X_2\geq 0; X_3 \text{ is unrestricted in sign.}$
 - (b) A toy company manufactures two types of dolls; a popular-type doll A, and a deluxe-type doll B. Each doll of type B takes twice as much time to produce as one doll of type A, and the company has a maximum of 2000 units of time per day. The supply of plastic is sufficient to produce 15,000 dolls (of both the types, taken together) per day. The deluxe type doll

- requires a fancy dress, of which only 600 per day are available. The company makes a net profit of Rs. 30 on each doll of type A and Rs. 50 on each doll of type B. Formulate it as a linear programming problem to determine the most profitable combination of the two types of dolls.
- 9. (a) Explain the Input-Output technique relating to a closed economy.
 - (b) The input-output coefficient matrix for a 2-sector economy is:

$$A = \begin{pmatrix} 0.40 & 0.25 \\ 0.20 & 0.50 \end{pmatrix}$$

The final demand for the two industries are 18 and 44 units, respectively. Find the gross output.

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